

Software Design, Modelling and Analysis in UML

Lecture 12: Core State Machines II

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Contents & Goals

Last Lecture:

- State machine syntax
- core state machines

This Lecture:

- **Educational Objectives:** Capabilities for following tasks/questions:
 - What does this State Machine mean? What happens if I inject this event?
 - Can you please model the following behaviour?
 - What is: Signal, Event, Ether, Transformer, Step, RTC.

Content:

- The basic causality model
- Ether
- System Configuration, Transformer
- Examples for Transformer
- Run-to-completion Step

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The Basic Causality Model

6.2.3 The Basic Causality Model (OMG, 2007b, 12)

“**Causality model**” is a specification of how things happen at run time [...].

The causality model is quite straightforward:

- **Objects respond to messages that are generated by objects executing communication actions.**
- **When these messages arrive, the receiving objects eventually respond by executing the behavior that is matched to that message.**
- **The dispatching method by which a particular behavior is associated with a given message depends on the higher-level formalism used and is not defined in the UML specification (i.e., it is a semantic variation point).**

The causality model also subsumes behaviors modeling each other and passing information to each other through arguments to parameters of the invoked behavior, [...].

This purely “procedural” or “process” model can be used by itself or in conjunction with the object-oriented model of the previous example.”

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15.3.12 StateMachine (OMG, 2007b, 563)

- Event occurrences are detected, dispatched, and then processed by the state machine, one at a time.
- The semantics of event occurrence processing is based on the **run-to-completion assumption**, interpreted as **run-to-completion processing**.
- **Run-to-completion processing** means that an event [...] can only be taken from the queue and dispatched if the processing of the previous [...] is fully completed.
- The processing of a single event occurrence by a state machine is known as a **run-to-completion step**.
- Before commencing on a **run-to-completion step**, a state machine is in a **stable state configuration** with all entry/exit/internal-activities (but not necessarily do-activities) completed.

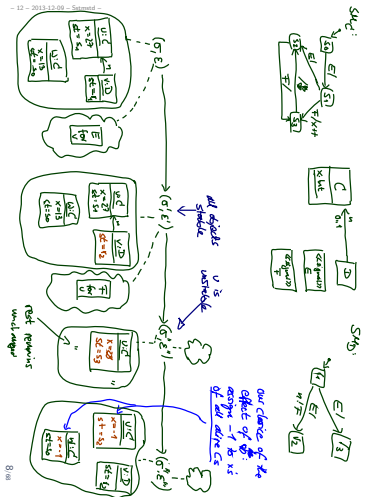
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15.3.12 StateMachine (OMG, 2007b, 563)

- The order of dispatching is **not defined**.
- Run-to-completion may be implemented leaving open the possibility of modeling different priority-based schemes.
- In **various ways** [...]

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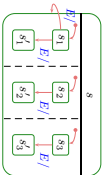
System Configuration, Ether Transformer



And?

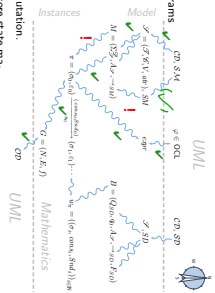


- We have to formally define what event occurrence is.
- We have to define where events are stored – what the event pool is.
- We have to explain how transitions are chosen – “matching”.
- We have to explain what the effect of actions is – on state and event pool.
- We have to decide on the granularity – micro-steps, steps, run-to-completion steps (aka super-steps)?
- We have to formally define a notion of stability and RT Cstep completion.
- And then: hierarchical state machines.



Readmap: Chronologically

- (i) What do we (have to) cover? UML State Machine Diagrams Syntax
 - (ii) Def.: Signature with signals.
 - (iii) Def.: Core state machines.
 - (iv) Map UML State Machine Diagrams to core state machines. ✓
- Semantics
- The Basic Causality Model ✓
- (v) Def.: Ether (aka: event pool)
 - (vi) Def.: System configuration.
 - (vii) Def.: Event.
 - (viii) Def.: Transformer.
 - (ix) Def.: Transition system computation.
 - (x) Transition relation induced by core state machines.
 - (xi) Def.: step, run-to-completion step.
 - (xii) Later: Hierarchical state machines.



Ether aka: Event Pool

Definition. Let $\mathcal{S} = (\mathcal{S}, \mathcal{E}, \gamma, \text{ctr}, \delta)$ be a signature with signals and \mathcal{D} a structure.

We call a tuple $(Eh, \text{ready}, \oplus, \cdot)$ an ether over \mathcal{S} and \mathcal{D} if and only if it provides

- a ready operation which yields a set of events that are ready for a given object, i.e.
 - $\text{ready} : Eh \times \mathcal{D}(\delta) \rightarrow 2^{\mathcal{E}}$
 - $\text{ready} : Eh \times \mathcal{D}(\delta) \rightarrow 2^{\mathcal{E}}$ for an event $e \in \mathcal{E}$ and a set of objects \mathcal{O} .
- a operation to insert an event destined for a given object, i.e.
 - $\oplus : Eh \times \mathcal{D}(\delta) \times \mathcal{E} \rightarrow Eh$
 - $\oplus : Eh \times \mathcal{D}(\delta) \times \mathcal{E} \rightarrow Eh$ for an event $e \in \mathcal{E}$ and a set of objects \mathcal{O} .
- a operation to remove an event, i.e.
 - $\ominus : Eh \times \mathcal{D}(\delta) \rightarrow Eh$
 - $\ominus : Eh \times \mathcal{D}(\delta) \rightarrow Eh$ for an event $e \in \mathcal{E}$ and a set of objects \mathcal{O} .
- a operation to clear the ether for a given object, i.e.
 - $\cdot : Eh \times \mathcal{D}(\delta) \rightarrow Eh$

Ether: Examples

- A (single, global, shared, reliable) FIFO queue is an ether:
 - $Eh = \mathcal{D}(C) \times \mathcal{D}(E)$
 - $\text{ready} : Eh \times \mathcal{D}(\delta) \rightarrow 2^{\mathcal{E}}$ the set of all finite sequences of pairs $(c, e) \in \mathcal{D}(C) \times \mathcal{D}(E)$ such that c is ready for e .
 - $\oplus : Eh \times \mathcal{D}(\delta) \times \mathcal{E} \rightarrow Eh$ $(c, e) \rightarrow (c, e) \cdot e$
 - $\ominus : Eh \times \mathcal{D}(\delta) \rightarrow Eh$ $(c, e) \cdot e \rightarrow c$
 - $\cdot : Eh \times \mathcal{D}(\delta) \rightarrow Eh$ $(c, e) \cdot e \rightarrow c$
- One FIFO queue per active object is an ether. [Semmer's done.]
- Lossy queue. (because @ may use functions)
- One-place buffer.
- Priority queue.
- Multi-queues (one per sender)
- Trivial example: sink, “black hole”.
- Set of sinks

- The order of dequeuing is **not defined**, leaving open the possibility of modifying different priority-based schemes.
- Run-to-completion may be implemented in various ways [...]

"receiving when idle"
"name-completeness, but so dependent, I should have completed it"

The standard distinguishes (among others)

- SignalEvent [OMG, 2007b, 494] and Reception [OMG 2007b, 441]

On SignalEvent, it says

A signal event represents the receipt of an asynchronous signal message. A signal event may be received by a state machine to trigger a transition [OMG, 2007b, 448]

Semantic Variation Points / messages

The message by which (omitted) are transported to their target depend on the type of requesting action, the target, the properties of the communication medium, and numerous other factors.

In some cases, this is instantaneous and completely reliable while in others it may involve transmission delays of variable duration, loss of requests, reordering, or duplication.

(See also the discussion on page 421.) [OMG, 2007b, 450]

Our **either** is a general representation of the possible choices. (It **is** made relational) Often seen minimal requirement: order of sending by one object is preserved. But we will later briefly discuss "interleaving" of events.



$$\mathcal{S}_0 = \{ \{id, y\}, \{id, \bar{y}\}, \{id, \bar{y}, x\}, \{id, \bar{y}, \bar{x}\} \}$$

$$\mathcal{S} = \{ \{id, s_{id}, y\}, \{id, \bar{y}\}, \{id, \bar{y}, x\}, \{id, \bar{y}, \bar{x}\}, \{id, \bar{y}, x, y\}, \{id, \bar{y}, \bar{x}, y\}, \{id, \bar{y}, \bar{x}, \bar{y}\} \}$$

$$\mathcal{D}(\mathcal{S}_{id}) = \{s_{id}, y, \bar{y}\}$$

System Configuration Step-by-Step

- We start with some signature with signals $\mathcal{S}_0 = (\mathcal{S}_0, \delta_0, V_0, attr_0, \delta')$
- A system configuration is a pair (σ, \mathcal{S}) which comprises a system state σ wrt. \mathcal{S} (not wrt. \mathcal{S}_0)
- Such a system state σ wrt. \mathcal{S} provides, for each object $u \in \text{dom}(\sigma)$,
 - values for the explicit attributes in V_0 ,
 - values for a number of implicit attributes, namely
 - a stability flag, i.e. $\sigma(u)(stable)$ is a boolean value,
 - a current (state machine) state, i.e. $\sigma(u)(s)$ denotes one of the states of core state machine M_C ,
 - a temporary association to access event parameters for each class, i.e. $\sigma(u)(params_p)$ is defined for each $E \in \delta'$.
- For convenience require: there is no link to an event except for params.

System Configuration

Definition. Let $\mathcal{S}_0 = (\mathcal{S}_0, \delta_0, V_0, attr_0, \delta')$ be a signature with signals, \mathcal{S}_0 a structure of \mathcal{S}_0 , $(B_H, ready, @, \emptyset, \{ \})$ an ether over \mathcal{S}_0 and \mathcal{S}_0 . Furthermore assume there is one core state machine M_C per class $C \in \mathcal{E}$.

A system configuration over $\mathcal{S}_0, \mathcal{S}_0$ and B_H is a pair

$$(\sigma, \mathcal{S}) \in \Sigma_{\mathcal{S}} \times B_H$$

where

$$\mathcal{S} = (\mathcal{S}_0 \cup \{S_{id} \mid C \in \mathcal{E}\}, \delta_0)$$

$$\cup \{ \{s(C) : S_{id} + s_0 \emptyset \} \mid C \in \mathcal{E} \}$$

$$\cup \{ \{params_p : E_{id} + \emptyset \emptyset \} \mid E \in \delta_0 \}$$

$$\cup \{ attr(C) \}$$

$$\cup \{ \{stable, s(C)\} \cup \{params_p \mid E \in \delta_0 \} \mid C \in \mathcal{E} \}$$

$\sigma(u)(C) \cap \mathcal{S}(\delta_0) = \emptyset$ for each $u \in \text{dom}(\sigma)$ and $r \in V_0$.

References

References

- [Haral and Gery, 1997] Haral, D. and Gery, E. (1997). Executable object modeling with statecharts. *IEEE Computer*, 30(7):31–42.
- [OMG, 2007a] OMG (2007a). Unified modeling language: Infrastructure, version 2.1.2. Technical Report formal/07-11-04.
- [OMG, 2007b] OMG (2007b). Unified modeling language: Superstructure, version 2.1.2. Technical Report formal/07-11-02.